



**ARC**  
Asphalt Research Consortium

**University of Nevada Reno**  
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**Manitoba – PTH 8 RAP Field Sections  
Update on Laboratory Test Results**

*Recycled Asphalt Pavement Expert Task Group  
Oklahoma City, Oklahoma - October 26, 2010*



# Manitoba RAP Sections (PTH8)

- Provincial Highway 8 between Gimli & Hnausa, Manitoba, Canada.
- Total Project length: 17 miles
- Comparative pavement site: ~ 6 miles
- Construction date: Sept. 2009
- RAP:  $\frac{1}{2}$ " NMAS

Heaviest Traffic lane

About 3 km

About 3 km

About 3 km

1 - 3 km

<b>2"</b> HMA/50% RAP 4 <sup>th</sup> lift	HMA/50% RAP 4 <sup>th</sup> lift with grade change	HMA/15% RAP 4 <sup>th</sup> lift	HMA/No RAP 4 <sup>th</sup> lift
<b>2"</b> HMA/50% RAP 3 <sup>rd</sup> lift	HMA/50% RAP 3 <sup>rd</sup> lift with grade change	HMA/15% RAP 3 <sup>rd</sup> lift	HMA/No RAP 3 <sup>rd</sup> lift
<b>New HMA/50% RAP 2<sup>nd</sup> lift</b>			
<b>New HMA/50% RAP 1<sup>st</sup> lift</b>			

# Manitoba RAP Sections (PTH8)

## *Mixtures Types*



Mixture	Binder	Field Mix Lab Compacted	Lab Mix Lab Compacted
0% RAP no grade change	Pen 150-200	F-0%-150	L-0%-150
15% RAP no grade change	Pen 150-200	F-15%-150	L-15%-150
50% RAP no grade change	Pen 150-200	F-50%-150	L-50%-150
50% RAP grade change	Pen 200-300	F-50%-200	L-50%-200

# Manitoba RAP Sections (PTH8)

## *Mixtures Types*



Mixture	Mix Design	Lift	Optimum Binder Content	Binder Content by Ignition Oven	RAP Binder %*
F-0%-150	Bit B	4	5.2%	5.0%	--
F-15%-150	Bit B	4	5.2%	5.1%	13.8%
F-50%-150	Bit B	4	5.0%	4.8%	49.0%
F-50%-200	Bit B	4	5.0%	4.8%	49.0%
L-0%-150	Bit B	4	5.2%	--	--
L-15%-150	Bit B	4	5.2%	--	13.6%
L-50%-150	Bit B	4	5.0%	--	47.0%
L-50%-200	Bit B	4	5.0%	--	47.0%

\* Based on RAP binder content of 4.7% (from Ignition Oven)

# Manitoba RAP Sections (PTH8)

## *Test Experiment Matrix – Binders*



- Determine PG grading for:
  - virgin binders:
    - Pen 150-200, Pen 200-300
  - recovered binders (85% Toluene + 15% Ethanol):
    - F-0%-150, F-15%-150, F-50%-150, F-50%-200
    - L-0%-150, L-15%-150, L-50%-150, L-50%-200
    - RAP-100%

# **Manitoba RAP Sections (PTH8)**

## *Test Experiment Matrix – Binders*



- Evaluate the following:
  - Blending chart process
  - RAP mortar procedure (UWM)
  - Predicted binder properties from Hirsh model
  - Predicted binder properties from Huet-Sayegh modified model (2S2P1D model)
  - Predicted binder properties from Lytton et al. model

# Manitoba RAP Sections (PTH8)

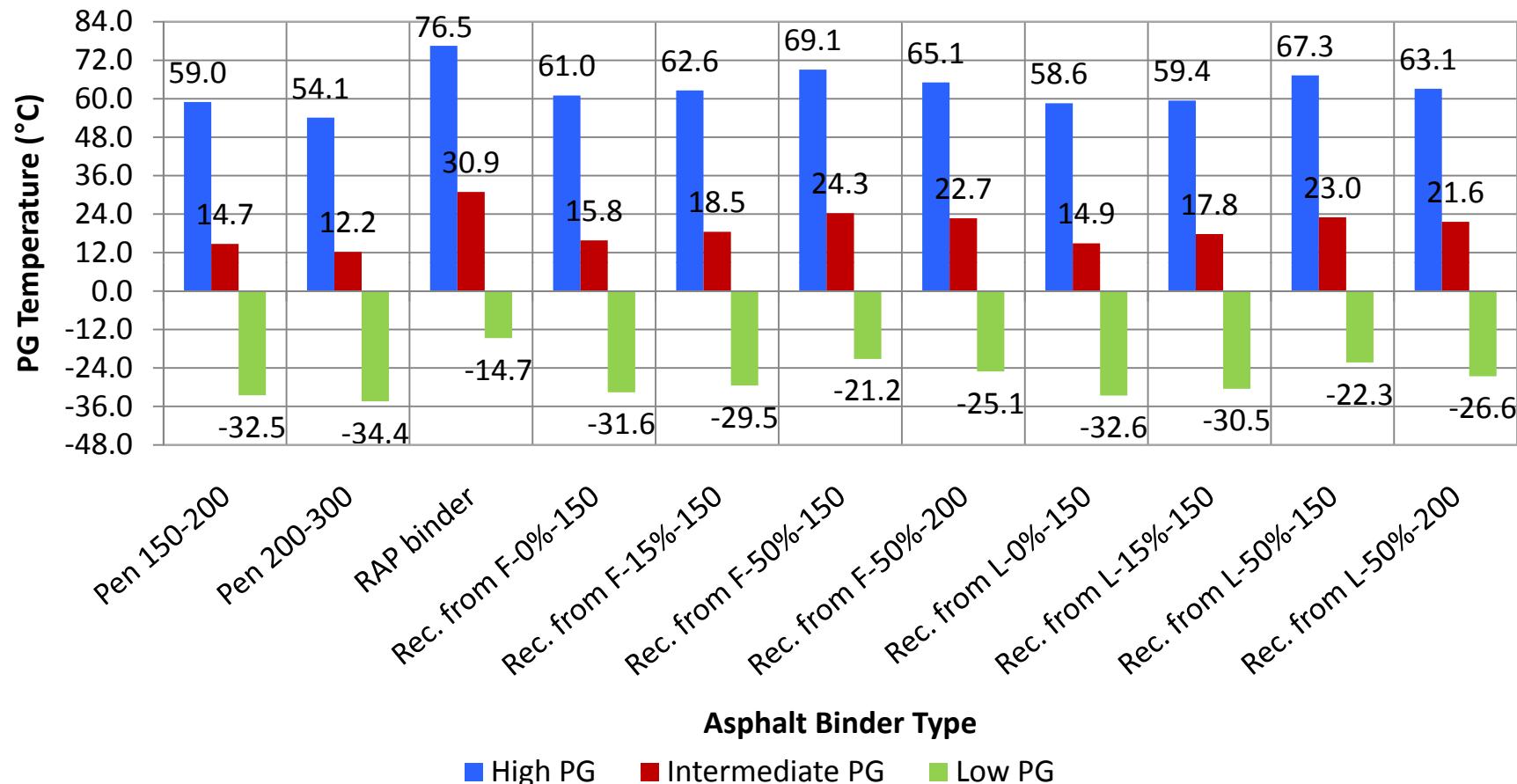
## *Test Experiment Matrix – Mixtures*



Property	F-0%-150	F-15%-150	F-50%-150	F-50%-200	L-0%-150	L-15%-150	L-50%-150	L-50%-200
Resistance to Moisture Damage - TS vs. F-T cycles: 0, 1 and 3 F-T - TSR at 1 and 3 F-T - E* vs. F-T cycles: 0, 1 and 3 F-T	X	X	X	X	X	X	X	X
Resistance to Thermal Cracking - TSRST: 0 and 3 F-T	X	X	X	X	X	X	X	X
Resistance to Fatigue Cracking	X	X	X	X	X	X	X	X

# Extraction/Recovery Using Centrifuge

## Superpave PG Grades



# Extraction/Recovery Using Centrifuge

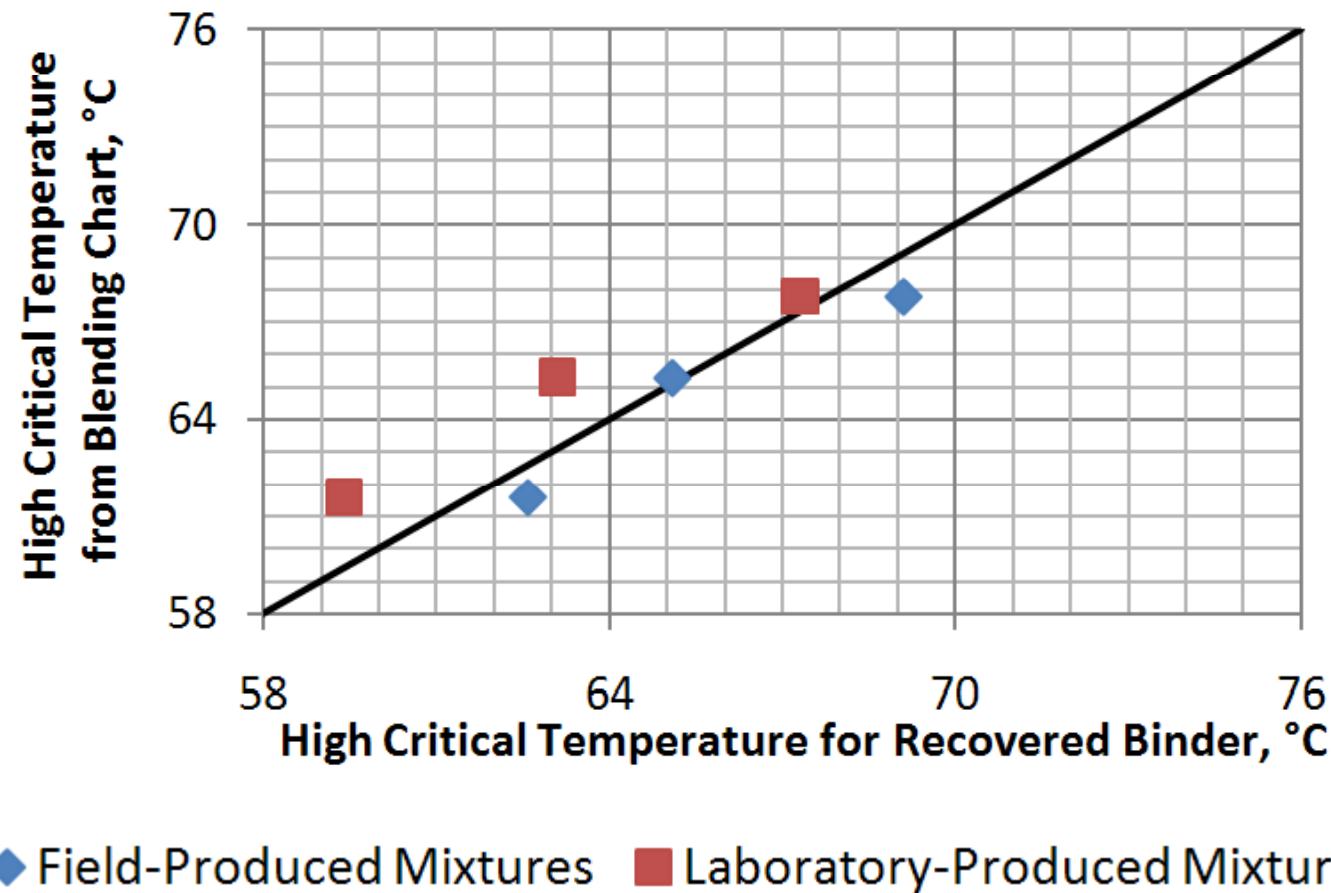
## *Superpave PG Grades*



	Mix	PG Grade
Virgin	PEN150-200	58-28
	PEN200-300	52-34
Extr./ Rec. using centrifuge	F-0%-150	58-28
	F-15%-150	58-28
	F-50%-150	64-16
	F-50%-200	64-22
	L-0%-150	58-28
	L-15%-150	58-28
	L-50%-150	64-22
	L-50%-200	58-22
	RAP binder (AASHTO M320)	76-10

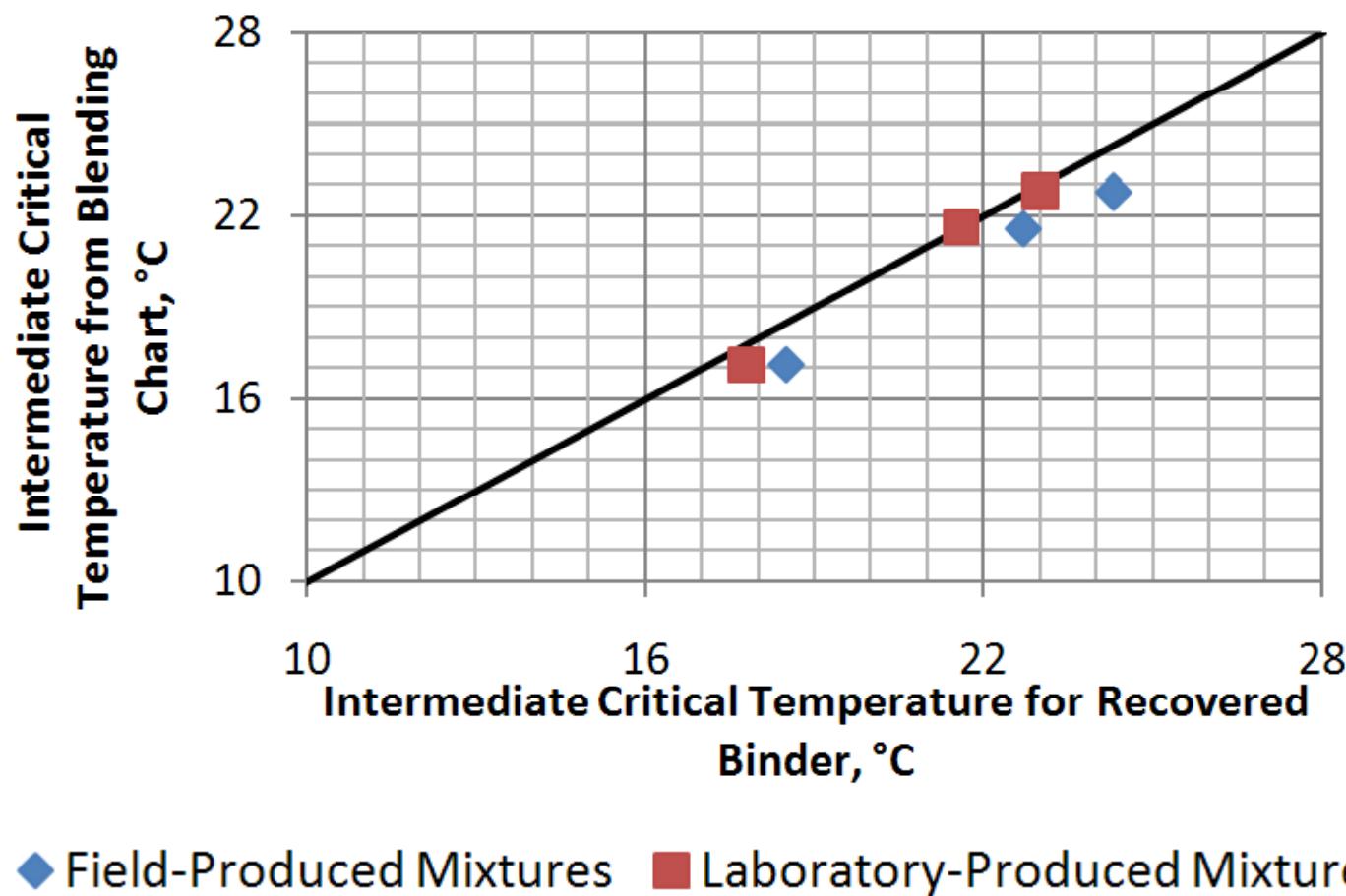
# Asphalt Binder Blending Chart

## *High Critical Temperature*



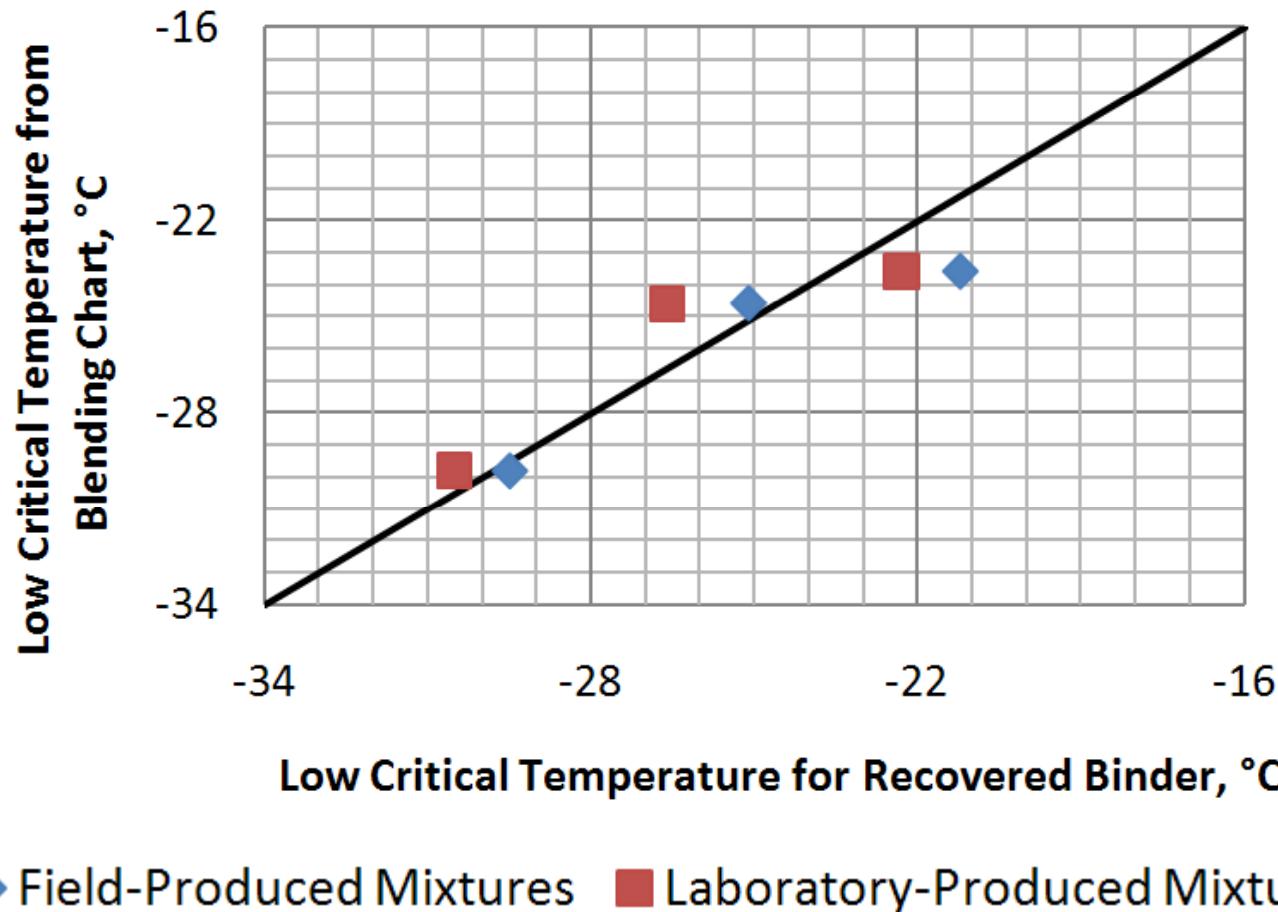
# Asphalt Binder Blending Chart

## *Intermediate Critical Temperature*



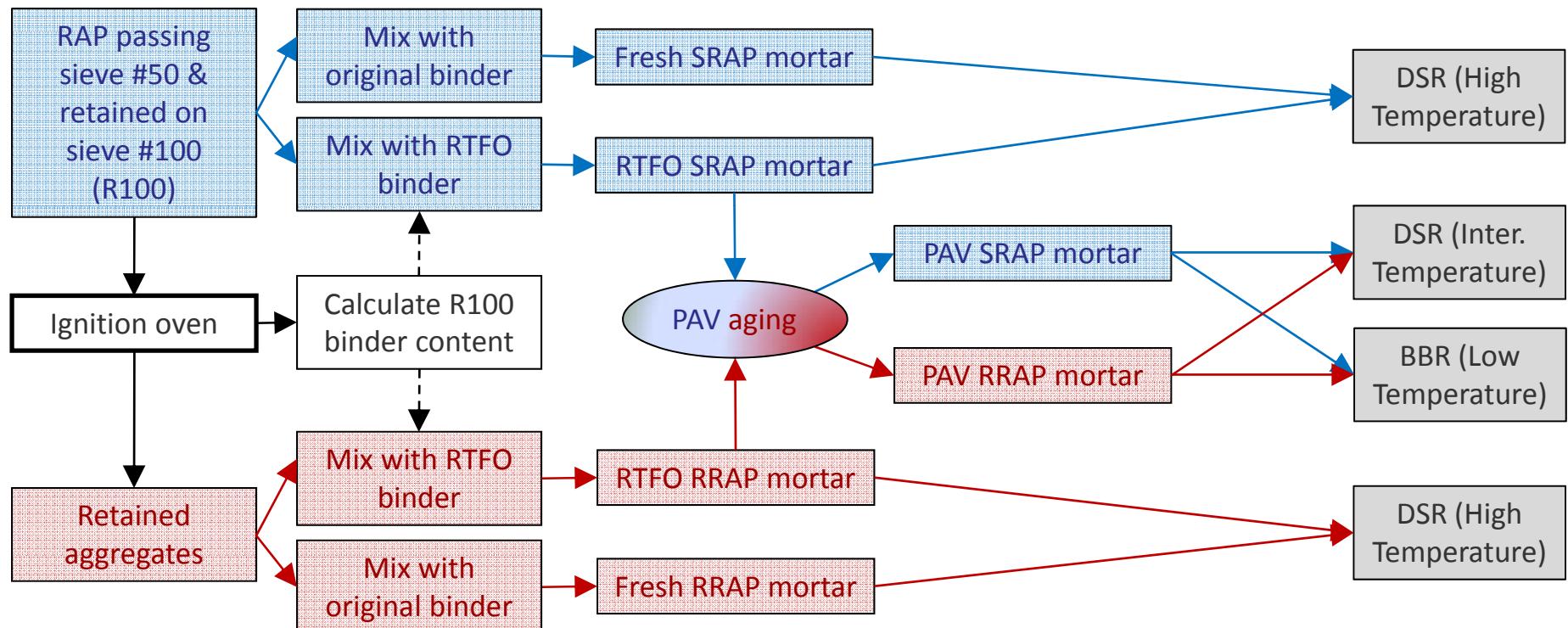
# Asphalt Binder Blending Chart

*Low Critical Temperature*



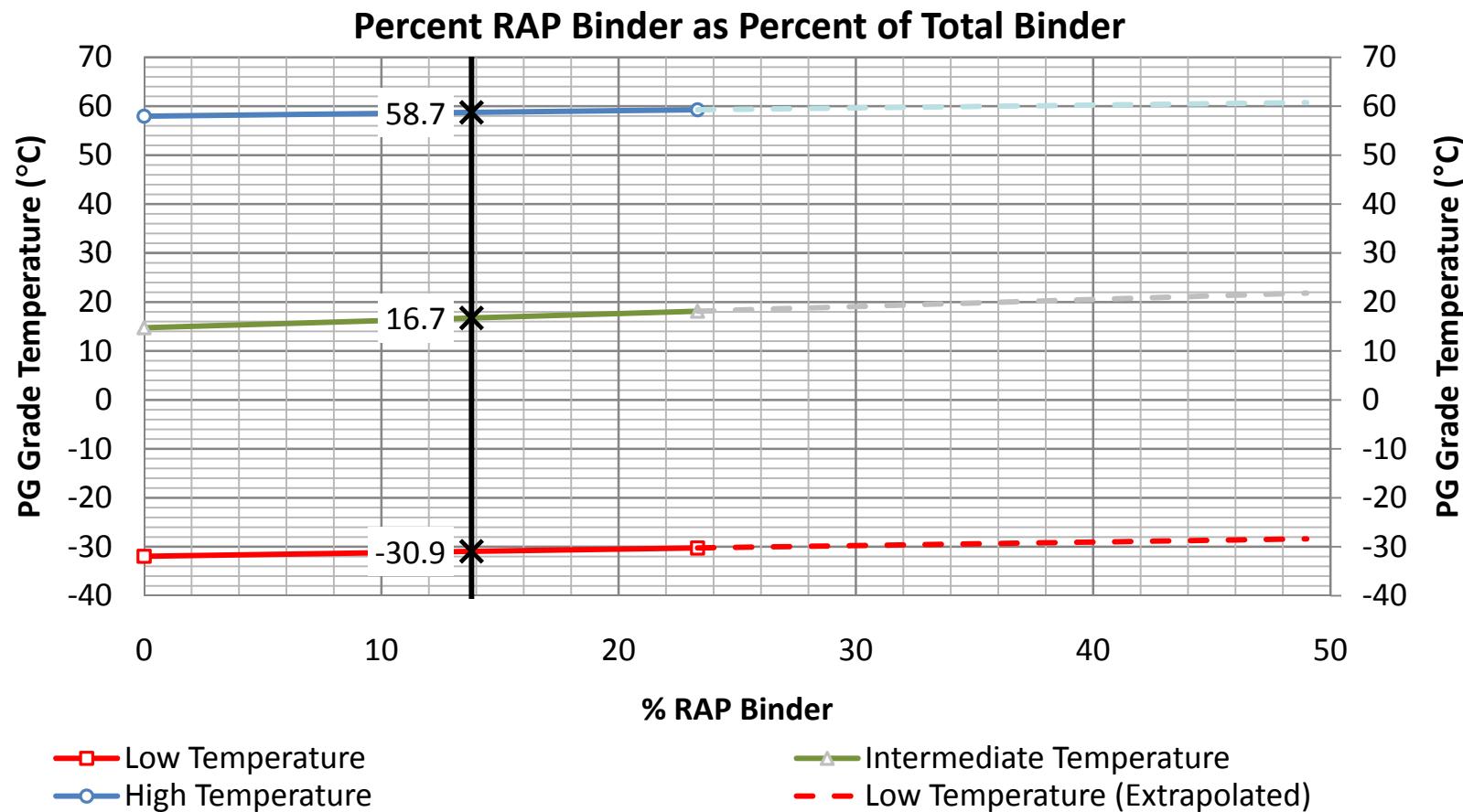
# RAP Mortar Procedure (UWM)

## Flow Chart of Material Preparation and Testing



# RAP Mortar Procedure (UWM)

## Typical Results





## Predictions Using Hirsh Model

- Use semi-empirical model proposed by Christensen et al. (2003) to estimate shear dynamic modulus.
- Measured E\* laboratory data used.
- Minimize Error between Hirsch model prediction and real data by varying binder stiffness.
- Compare estimated stiffness with measured stiffness.
- Determine binder critical temperature.

# Summary of PG Grades

## Preliminary Results for Pen 150-200



% RAP	Mix	Critical T <sub>High</sub>				Critical T <sub>Intermediate</sub>				Critical T <sub>Low</sub>				TSRST
		Rec.	Blend Chart	Hirsh	Mortar Testing	Rec.	Blend Chart	Hirsh	Mortar Testing	Rec.	Blend Chart	Hirsh	Mortar Testing	
Virgin Binder		59.0				14.7				-32.5				--
0	F	61.0	--	IP	--	15.8	--	IP	--	-31.6	--	--	--	-32.8
	L	58.6	--	57.5		14.9	--	16.0		-32.6	--	--		-33.0
15	F	62.6	63.6	IP	58.7	18.5	18.1	IP	16.7	-29.5	-29.1	--	-30.9	-30.8
	L	59.4	61.3	57.6		17.8	18.3	18.6		-30.5	-29.3	--		-30.9
50	F	69.1	68.8	IP	61.0	24.3	23.4	IP	21.8	-21.2	-23.2	--	-28.4	-29.1
	L	67.3	67.6	62.5		23.0	23.7	24.0		-22.3	-23.7	--		-27.2

# Summary of PG Grades (cont'd)

## Preliminary Results for Pen 200-300



% RAP	Mix	Critical T <sub>High</sub>				Critical T <sub>Intermediate</sub>				Critical T <sub>Low</sub>				TSRST
		Rec.	Blend Chart	Hirsh	Mortar Testing	Rec.	Blend Chart	Hirsh	Mortar Testing	Rec.	Blend Chart	Hirsh	Mortar Testing	
Virgin Binder		54.1				12.2				-34.4				--
0*	F	61.0	--	IP	--	15.8	--	IP	--	-31.6	--	--	--	-32.8
	L	58.6	--	57.5		14.9	--	16.0		-32.6	--	--		-33.0
50	F	65.1	65.3	IP	57.0	22.9	21.6	IP	18.8	-25.1	-24.6	--	-31.4	-32.1
	L	63.1	63.2	64.1		21.6	21.8	20.1		-26.6	-24.5	--		-34.4

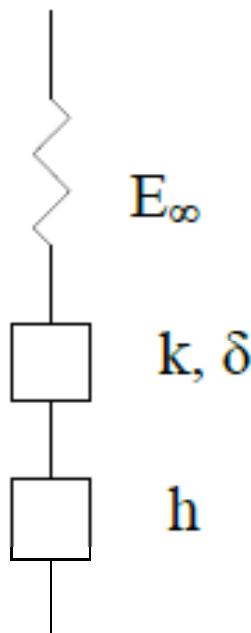
\*0% RAP manufactured with Pen150-200

# Inverse Problem for Low Temp Characterization

*A. C. Falchetto, M. O. Marasteanu & H. Di Benedetto*



## • Huet Model (Huet 1963)



$$D(t) = \frac{1}{E_\infty} \left( 1 + \delta \frac{(t/\tau)^k}{\Gamma(k+1)} + \frac{(t/\tau)^h}{\Gamma(h+1)} \right)$$

$$E^*(i\omega\tau) = \frac{E_\infty}{1 + \delta(i\omega\tau)^{-k} + (i\omega\tau)^{-h}}$$

$D(t)$  creep function  
 $E^*$  complex modulus,  
 $E_\infty$  glassy modulus,  
 $h, k$  exponents such that  $0 < k < h < 1$   
 $\delta$  dimensionless constant,  
 $\omega$   $2\pi^*$ frequency,  
 $\tau$  characteristic time varying with temperature  
 $t$  time  
 $\Gamma$  gamma function:

# Inverse Problem for Low Temp Characterization

*A. C. Falchetto, M. O. Marasteanu & H. Di Benedetto*



- Calculated  $S(t)_{\text{binder}}$  from measured  $S(t)_{\text{mixture}}$

$$S_{\text{mix}}(t) = S_{\text{binder}}(t / 10^\alpha) \frac{E_{\infty\_mix}}{E_{\infty\_binder}}$$

$$\tau_{\text{binder}} = 10^{-\alpha} \tau_{\text{mix}}$$

$S_{\text{mix}}(t)$	creep stiffness of mixture,
$S_{\text{binder}}(t)$	creep stiffness of binder,
$E_{\infty\_mix}$	glassy modulus of mixture,
$E_{\infty\_binder}$	glassy modulus of binder,
$\alpha$	regression parameter which may depend on mix design,
$t$	time

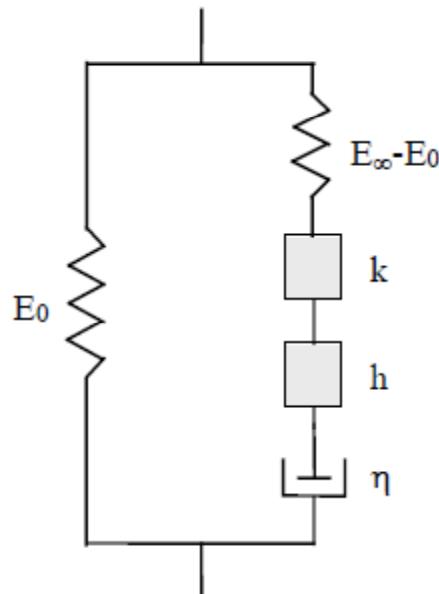
- Authors showed very good predictions for the binder stiffness from the mixture stiffness.

# Huet-Sayegh Modified

*2S2P1D Model (Olard and Di Benedetto, 2003)*



- Generalization of Huet-Sayegh model



$$E^*(i\omega\tau) = E_0 + \frac{E_\infty - E_0}{1 + \delta(i\omega\tau)^{-k} + (i\omega\tau)^{-h} + (i\omega\beta\tau)^{-1}}$$

i : complex number,  
 $\omega$ :  $2\pi^*$ frequency  
k, h : exponents such as  $0 < k < h < 1$ ,  
 $\delta$  : dimensionless constant  
 $E_0$  the static modulus when  $\omega \rightarrow 0$ ,  
 $E_\infty$  the glassy modulus when  $\omega \rightarrow \infty$ ,  
 $\eta$  : Newtonian viscosity,  $\eta = (E_\infty - E_0) \cdot \beta \cdot \tau$ ; when  $\omega \rightarrow 0$ ,  
then  $E^*(i\omega\tau) \sim E_0 + i\omega \cdot (E_\infty - E_0) \cdot \beta \cdot \tau$ ;  $\beta$  is dimensionless.  
 $\tau$  : characteristic time varying with temperature

# Huet-Sayegh Modified

*2S2P1D Model (Olard and Di Benedetto, 2003)*



- Relationship between the characteristic time of the mixture and the characteristic time of the corresponding binder at the reference temperature:

$$\tau_{\text{mix}}(T) = 10^{\alpha} \cdot \tau_{\text{binder}}(T)$$

**$\alpha$ : Regression coefficient depending on mixture & aging**

# Huet-Sayegh Modified

*2S2P1D Model (Olard and Di Benedetto, 2003)*



- Relationship between mix and binder complex moduli was proposed

$$E_{\text{binder}}^*(i\omega \tau_{\text{binder}}) = E_{0\text{-binder}} + \frac{E_{\infty\text{-binder}} - E_{0\text{-binder}}}{1 + \delta(i\omega \tau_{\text{binder}})^{-k} + (i\omega \tau_{\text{binder}})^{-h} + (i\omega \beta \tau_{\text{binder}})^{-1}}$$

$$E_{\text{mix}}^*(i\omega \tau_{\text{mix}}) = E_{0\text{-mix}} + \frac{E_{\infty\text{-mix}} - E_{0\text{-mix}}}{1 + \delta(i\omega \tau_{\text{mix}})^{-k} + (i\omega \tau_{\text{mix}})^{-h} + (i\omega \beta \tau_{\text{mix}})^{-1}}$$

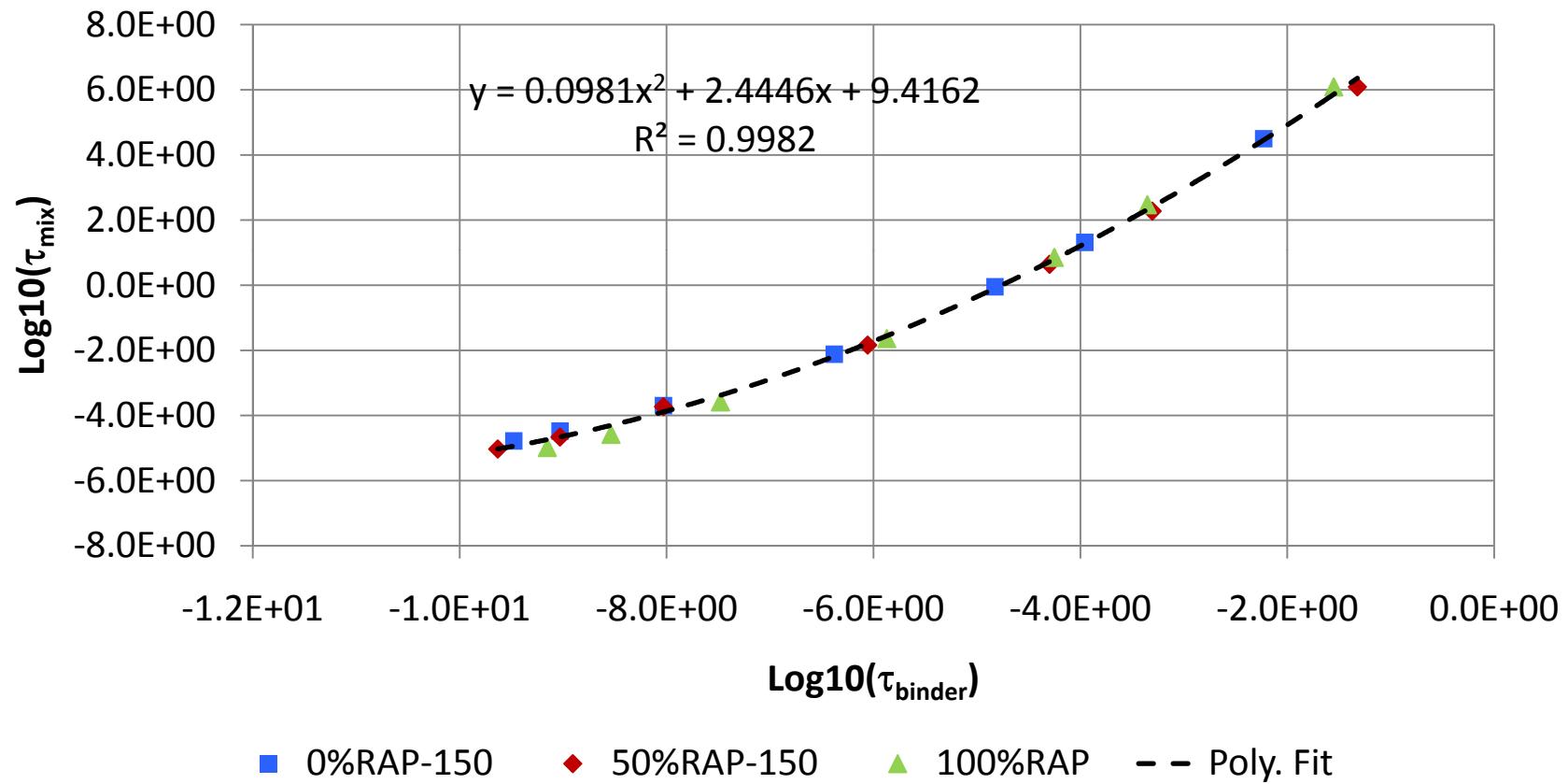
$$E_{\text{mix}}^*(\omega, T) = E_{0\text{-mix}} + [E_{\text{binder}}^*(10^a \omega, T) - E_{0\text{-binder}}] \frac{E_{\infty\text{-mix}} - E_{0\text{-mix}}}{E_{\infty\text{-binder}} - E_{0\text{-binder}}}$$

# Predictions Using Huet-Sayegh Modified Approach - Forward Calculation



- Measure complex modulus for the various mixtures & their associated recovered asphalt binders.
- Fit Huet-Sayegh Modified (2S2P1D) model to measured  $E^*$  data:
  - Determine  $\delta$ ,  $h$ ,  $k$ ,  $\beta$  and  $\tau_0$  for binder and mix
  - Examine the relationship between  $\log(\tau_{\text{mix}})$  &  $\log(\tau_{\text{binder}})$

# Predictions Using Huet-Sayegh Modified *Lab-Produced mixtures*





# Predictions Using Huet-Sayegh Modified

- Promising results if relationship was found to be a unique relationship
- Continuing Effort:
  - Refine the analysis for lab-produced mixtures
  - Conduct the same analysis for field-produced mixtures
  - Conduct the same analysis for other mixtures
  - Evaluate the inverse calculation

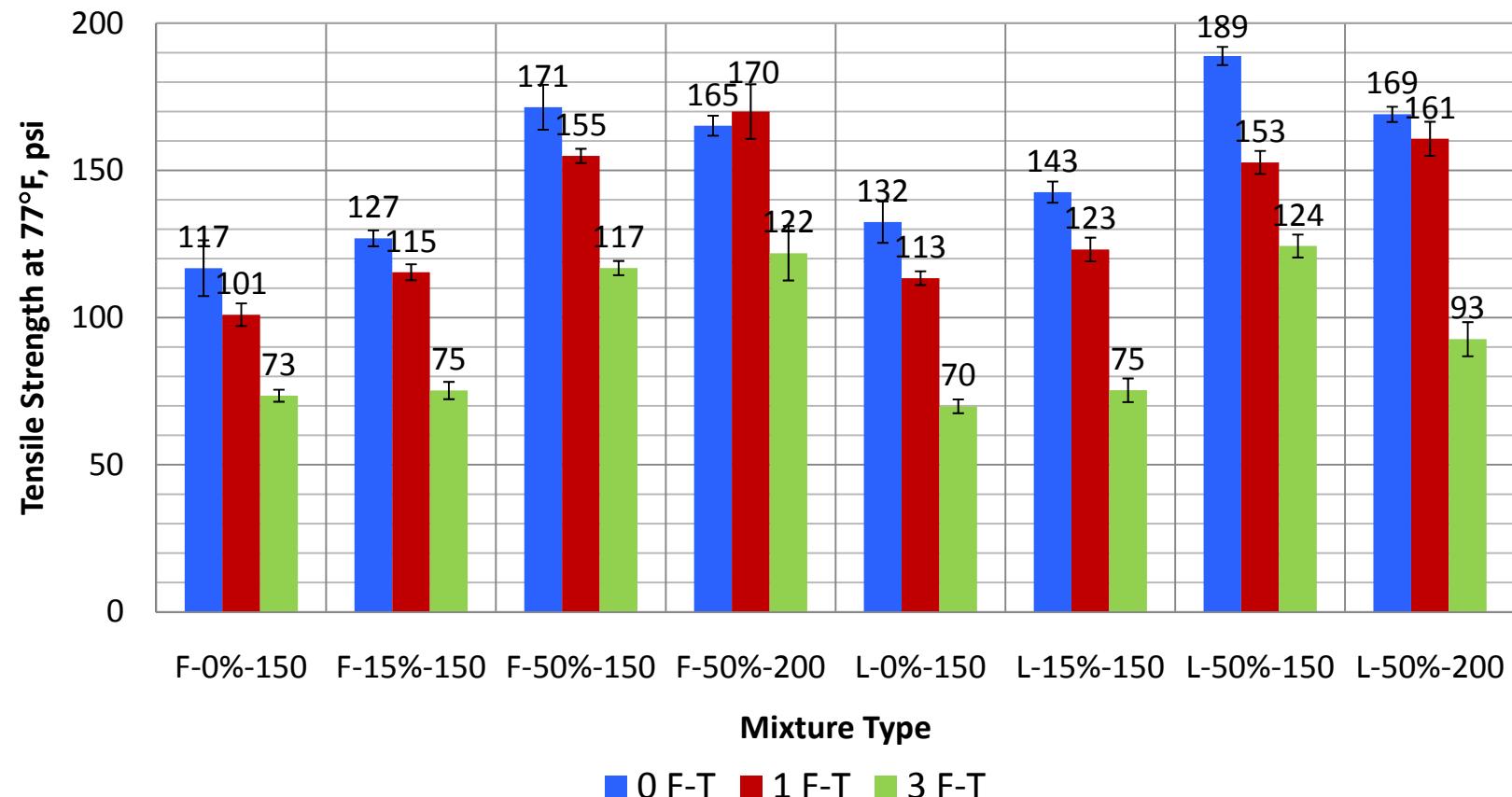


# Mixtures Testing

- TS and TSR at multiple F-T cycles
- |E\*| at multiple F-T cycles
- TSRST at multiple F-T cycles
- Fatigue testing

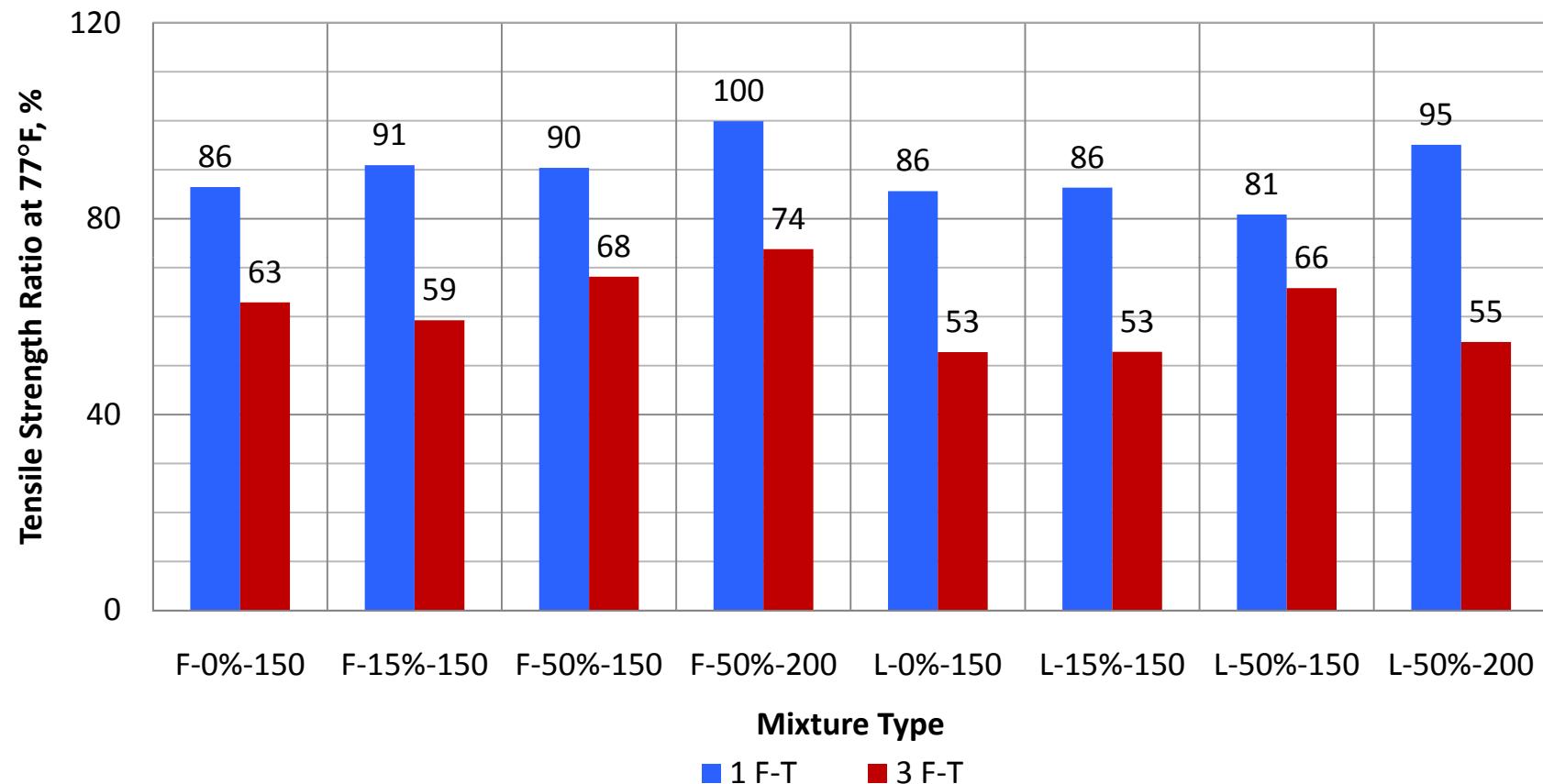


## TS at 77°F and 0, 1 and 3 F-T



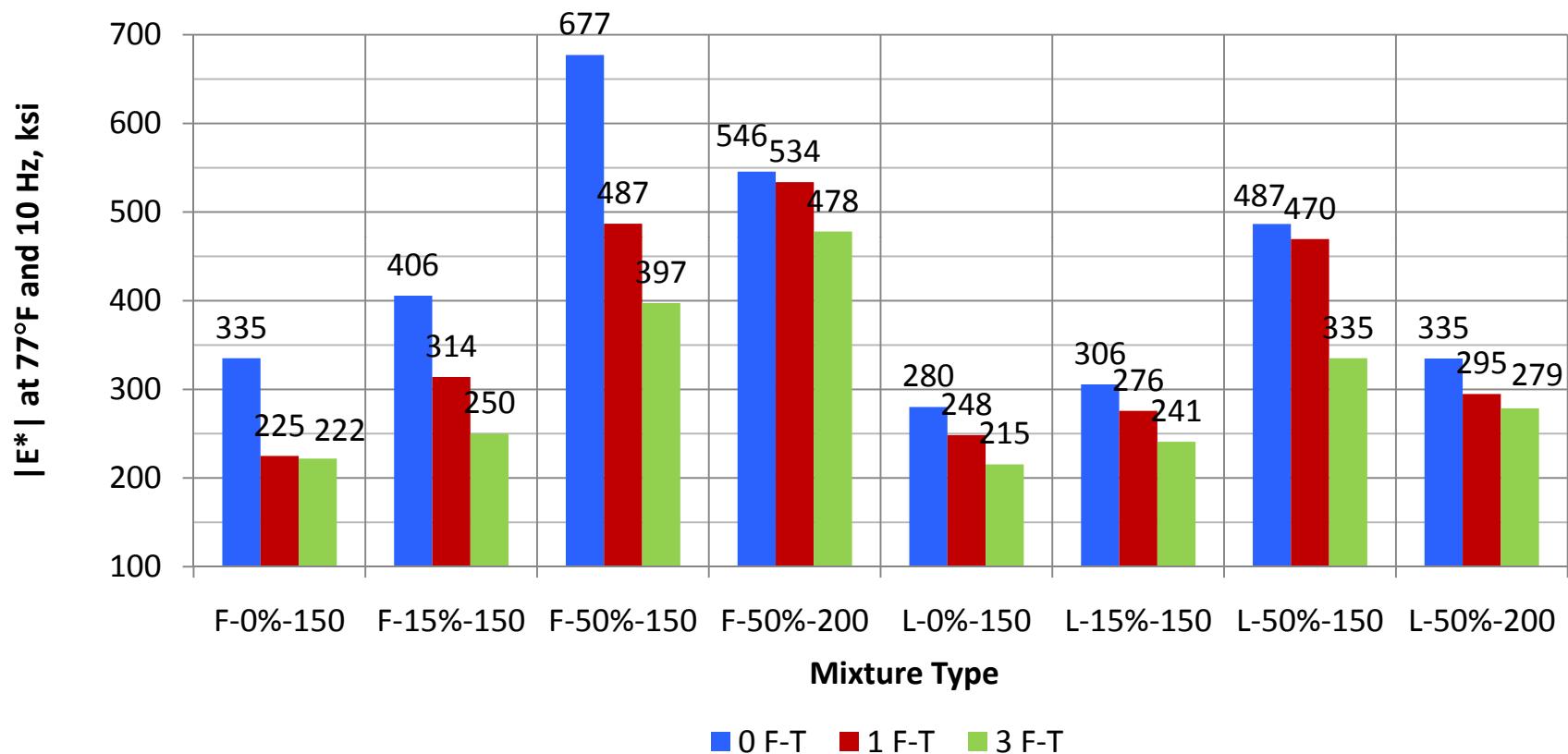


## TSR at 77°F, 1 and 3 F-T



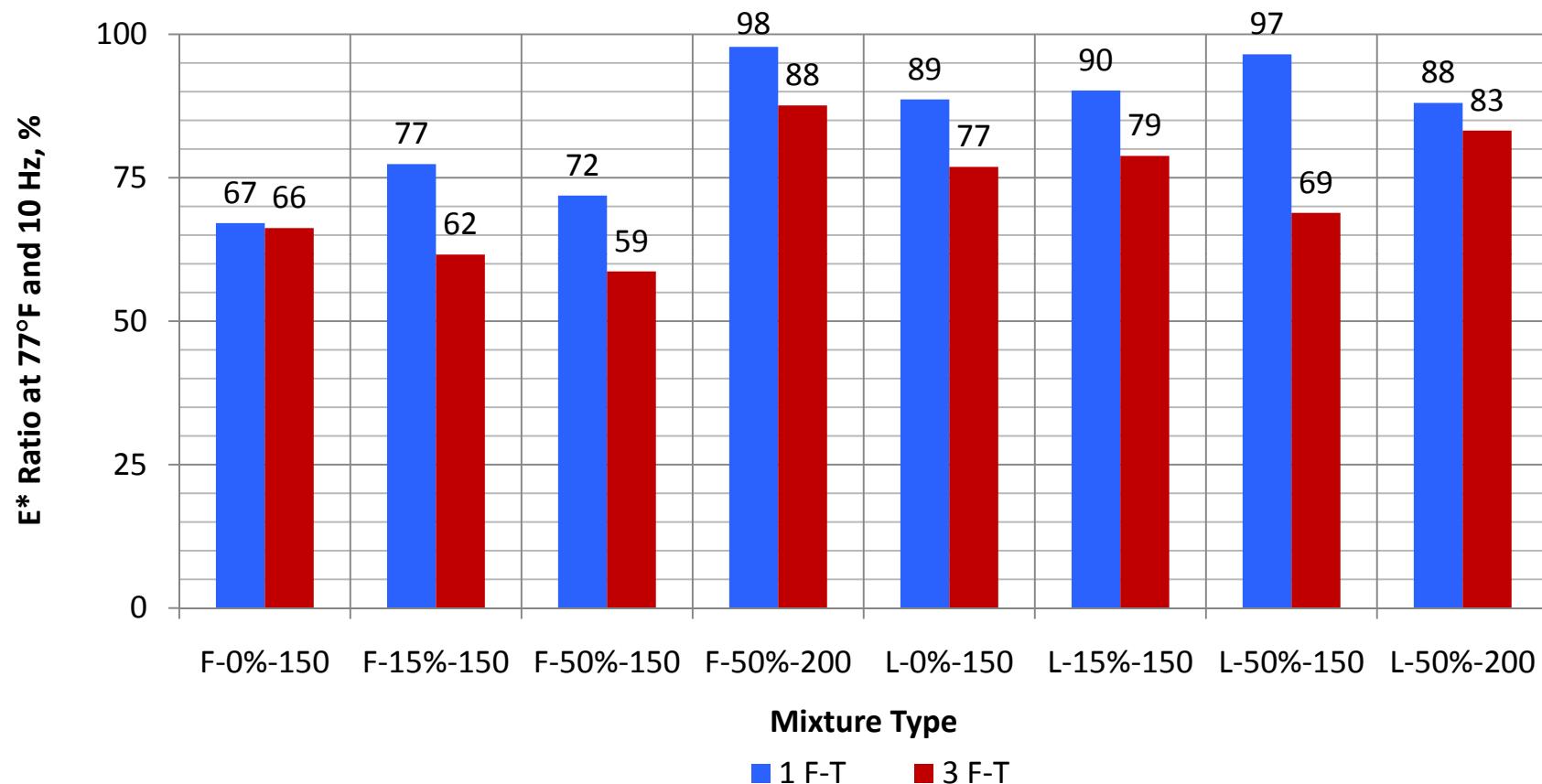
# Resistance to Moisture Damage

*E\* Test Results at 77°F*



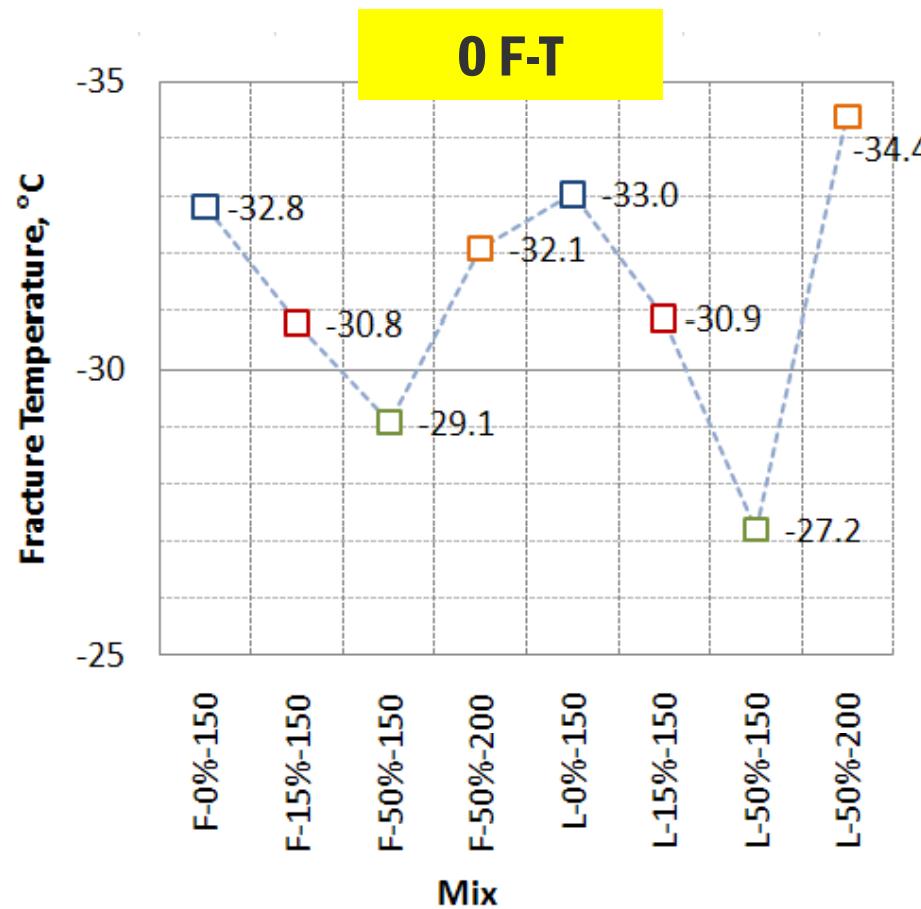
# Resistance to Moisture Damage

*E\* Ratio at 77°F*



# Resistance to Thermal Cracking

## TSRST Test Results - Fracture Temperature





# References

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- ...